

### Skill

### Group A - Arc lengths

Find the arc length of each sector. Give your answer in terms of  $\pi$ :



Find the arc length of each sector. Give your answer to 3 significant figures:





#### Group B - Area and perimeter of sectors

Find the area of each sector. Give your answer in terms of  $\pi$ :



Find the perimeter of each sector. Give your answer to 3 significant figures:





#### Group C - Arcs and sectors problem solving questions

Find the radius of each sector using the information provided:



Find the radius of each sector using the information provided. Give each answer to 2 decimal places:



Find the missing values. Give each answer to 3 significant figures:

7)	8)	9)
Radius: 5 <i>cm</i>	Angle of Sector: $150^{\circ}$	Angle of Sector: 225 <sup>°</sup>
Angle of Sector: 72 <sup>°</sup>	Arc Length: 26. 18 <i>cm</i>	Arc Length: $25\pi cm$
Arc Length: 2π <i>cm</i>	Area of Sector: 130. 9 $cm^2$	Perimeter: 118.5 cm
Parimotor		Padiuc
Feimelei.	Radius:	Naulus.

Area of Sector:

Radius:
Perimeter:

### Area of Sector:



#### Applied

1) James is calculating the perimeter of the sector shown below.



Perimeter =  $\frac{30}{360}$  × 2 ×  $\pi$  × 20

- (a) What mistake has James made with his calculation?
- (b) Calculate the actual perimeter of the sector.

Peter is calculating the area of the same sector. He writes: Area =  $\frac{30}{360}$  ×  $\pi$  × 20

- (c) What mistake has Peter made with his calculation?
- (d) Calculate the actual area of the sector.
- 2) These two sectors have the same area:



Calculate the radius of the sector on the right, labelled *x*.

**3)** A semi circle has a perimeter of 80cm. Given that d = 2r, calculate the diameter of the semicircle to 1 decimal place.



# **Arcs and Sectors - Exam Questions**

The diagram shows an equilateral triangle ABC with sides of 6cm. *P* is the midpoint of AB *Q* is the midpoint of AC
APQ is a sector of a circle with centre A.



Calculate the area of the shaded region to 3 significant figures.

(7 marks)



## Arcs and Sectors - Exam Questions

2) The sector of a circle with centre *O* has a radius of 80*cm*. The two points *A* and *B* are connected by an arc and a chord.



As angle  $AOB = 35^{\circ}$ , calculate the area of the shaded region to 3 significant figures.

(6 marks)



# **Arcs and Sectors - Exam Questions**

3) The major arc length of the circle below is 31. 1*cm*.



Find the length of x, the radius of the circle. Give your answer to 1 decimal place.

(4 marks)



	Question	Answer
	Skill Questions	
Group A	Find the arc length of each sector. Give your answer in terms of $\pi$ :	
	<b>1)</b> 10 <i>cm</i>	<b>1)</b> 5π <i>cm</i>
	<b>2)</b> 20 <i>cm</i>	<b>2)</b> 10π <i>cm</i>
	<b>3)</b> 10cm	<b>3)</b> $\frac{20}{3}\pi cm$
	<b>4)</b> 10 <i>cm</i>	<b>4)</b> $\frac{50}{9}\pi cm$
	5) 10 <i>cm</i> 300°	<b>5)</b> $\frac{50}{3}\pi cm$
	<b>6)</b>	<b>6)</b> $\frac{40}{3}\pi cm$



















Group C contd	Find ans	d the missing values. Give each wer to 3 significant figures:		
	7)	Radius: 5 <i>cm</i> Angle of Sector: 72 <sup>°</sup> Arc Length: 2π <i>cm</i> <b>Perimeter:</b> <b>Area of Sector:</b>	7)	Perimeter: 16. 3 <i>cm</i> Area of Sector: 15. 7 <i>cm</i> <sup>2</sup>
	8)	Angle of Sector: 150 <sup>°</sup> Arc Length: 26. 18 <i>cm</i> Area of Sector: 130. 9 <i>cm</i> <sup>2</sup> Radius: Perimeter:	8)	Radius: 10.0 <i>cm</i> Perimeter: 46.2 <i>cm</i>
	9)	Angle of Sector: 225 <sup>°</sup> Arc Length: 25π <i>cm</i> Perimeter: 118.5 <i>cm</i> <b>Radius:</b> <b>Area of Sector:</b>	9)	Radius: 20.0 <i>cm</i> Area of Sector: 785 <i>cm</i> <sup>2</sup>



	Question		Answer	
	Ap	oplied Questions		
1)		James is calculating the perimeter of the sector shown below. $20cm$ $30^{\circ}$ Perimeter = $\frac{30}{20c} \times 2 \times \pi \times 20$		
	a)	What mistake has James made with his calculation?	a)	He has not added the two radii to the perimeter
	b)	Calculate the actual perimeter of the sector to 2 decimal places.	b)	$\left(\frac{30}{360} \times 2 \times \pi \times 20\right) + 20 + 20$ $= 50.47  cm$
		Peter is calculating the area of the same sector. He writes: Area = $\frac{30}{360} \times \pi \times 20$ .		
	c)	What mistake has Peter made with his calculation?	c)	The radius (20) should be squared
	d)	Calculate the actual area of the sector.	d)	$\left(\frac{30}{360} \times \pi \times 20^2\right)$ $= \frac{100}{3}\pi \ cm^2$
2)		These two sectors have the same area:		(L) Area of sector = $64\pi$
		$10^{\circ}$ $240^{\circ}$ $xcm$ 48cm		(R) Area of sector = $\frac{240}{360}\pi x^2$ $64\pi = \frac{240}{360}\pi x^2$
		Calculate the radius of the sector on the right, labelled $x$ .		$x = 4\sqrt{6} cm$



3)	A semi circle has a perimeter of $80cm$ . Given that $d = 2r$ , calculate	$2r + \left(\frac{180}{360} \times \pi \times 2r\right) = 80$
	the diameter of the semicircle to 1 decimal place.	$2r + \pi r = 80$
		$r(\pi + 2) = 80$
		$r = \frac{80}{\pi + 2} = 15.55938119$
		d = 21.11876237 = 21.1 cm (1dp)



### Arcs and Sectors - Mark Scheme

	Question	Answer	
	Exam Questions		
1)	The diagram shows an equilateral triangle <i>ABC</i> with sides of 6 <i>cm</i> .	$60^{\circ}$ seen	(1)
	P is the midpoint of $ABQ$ is the midpoint of $AC$	Area of Triangle: $\frac{1}{2} \times 6 \times 6 \times \sin(60)$	(1)
	centre A.	9√3 <b>0e</b>	
		Area of Sector: $\frac{30}{360} \times \pi \times 3^{2}$ $\frac{3}{2}\pi$ oe	(1)
	P 6cm	$9\sqrt{3} - \frac{3}{2}\pi = 10.87606829$	(1)
		$10.9  cm^2  (3sf)$	(1)
	Calculate the area of the shaded region to 3 significant figures.		
2)	The sector of a circle with centre <i>O</i> has a radius of 80 <i>cm</i> . The two	Area of a Sector $\left(\frac{\theta}{360} \times \pi r^2\right)$	
	points A and B are connected by	$\frac{35}{360}$ × $\pi$ × 80 <sup>2</sup>	(1)
	an arc and a chord. $A$	= 1954.7687	(1)
	80m	Area of a Triangle $\left(\frac{1}{2}ab\sin(C)\right)$	
	807	$\frac{1}{2} \times 80 \times 80 \times \sin(35)$	(1)
		= 1835.4446	(1)
	As angle $AOB = 35^{\circ}$ , calculate	1954.76 1835.44 = 119.3241659	(1)
	the area of the shaded region to 3 significant figures.	$= 119.3  cm^2  (3sf)$	(1)



### Arcs and Sectors - Mark Scheme



