

#### Skill

#### Group A - Calculating flow rate

Use the information to calculate the flow rate:

**1)** A tap releases 5 litres of water in 4 minutes. Calculate the flow rate in litres per minute.

2) A hose pipe can release 8 Calculate the flow rate in litres per second.

3) Juice is leaking from the litres of water in 160 seconds. bottom of a carton. The carton is 330 ml when full and is empty after 11 minutes. Calculate the flow rate in *ml* per minute.

4) A tap fills a cuboid container 5 cm by 8 cm by 20 cm. The container is full after 16 seconds. Calculate the flow rate in  $cm^3$  per second.

5) A hose pipe fills a cube with side length 80 cm. The cube is full after 40 minutes. Calculate the flow rate in  $cm^3$ per minute.

6) A full paddling pool in the shape of a cuboid is being drained through a valve. The paddling pool is 2 metres by 1 metre by 50 cm and is empty after 5 minutes. Calculate the flow rate in  $m^3$  per minute.

7) A tap is filling a 500 ml jug 8) A tap fills a cube of side after 8 seconds. Calculate the third full after 35 seconds. flow rate in ml per second.

with water. The jug is half full length 24 cm. The cube is one Calculate the flow rate in  $cm^3$ per second.

9) A cuboid container measuring 40 cm by 30 cm by 25 cm is being filled with water from a tap. The container is 60% full after 5 minutes. Calculate the flow rate in  $cm^3$  per minute.



#### Group B - Finding the time to fill a container

Find the volume of the shape and use the flow rate to find the time to fill the container:





#### Group C - Using flow rate to calculate missing volumes, depths or times.

Use the flow rate provided to find the missing value:

<b>1)</b> A tap produces a flow rate of 4 litres per minute. Find the time taken for the tap to fill a 6 litre bucket.	<ul> <li>2) A hose pipe produces a flow rate of 6 litres per minute. A gardener spends 10 minutes watering his plants.</li> <li>How much water did the gardener use?</li> </ul>	<b>3)</b> A coffee machine dispenses coffee with a flow rate of 800ml per minute. How long does it take to produce a 200 <i>ml</i> coffee?
<b>4)</b> A tap produces a flow rate of 3.5 litres per minute. How much water is released from the tap after 90 seconds?	<b>5)</b> A waterfall has a flow rate of $400 m^3$ per second. How much water flows over the waterfall in 10 minutes?	<b>6)</b> A dripping tap produces a flow rate of 0. 625 <i>ml</i> per second. How long does it take for the dripping tap to fill a 1 litre jug? Give your answer in minutes and seconds.
<b>7)</b> An air pump produces a flow rate of $30 \ cm^3$ per second. Find the volume of air	<b>8)</b> An empty cuboid container with a square base of area $24 \ cm^2$ is being filled from a	<b>9)</b> A swimming pool holds $45 m^3$ of water. The swimming pool must be

flow rate of  $30 \text{ } cm^3$  per second. Find the volume of a produced in 1 hour, giving your answer in  $m^3$ . **8)** An empty cuboid container with a square base of area  $24 \ cm^2$  is being filled from a tap producing a flow rate of  $50 \ cm^3$  per second. Find the height of the water after 6 seconds.

**9)** A swimming pool holds  $45 m^3$  of water. The swimming pool must be drained by a pump. The pump removes the water with a flow rate of 7200 litres per hour. Given that

 $1 m^3 = 1000$  litres. How long will it take to drain the swimming pool, in hours and minutes?



#### Applied

**1)** The image shows two containers, a cube with side length 8 *cm* and a cylinder with radius 5 *cm* and height 9 *cm*.



A tap fills the cube container in 32 seconds.

- (a) Find the flow rate of the tap in  $cm^3$  per second.
- (b) How long will the same tap take to fill the cylinder?
- 2) A tap is filling a container with water. The graph shows the depth, *cm*, of water in the container at times measured in seconds.



Time, s

- (a) Use the information from the graph to find the flow rate of the tap in cm per second.
- (b) If the container had a rectangular base measuring 4 cm by 6 cm. What is the flow rate of the tap in  $cm^3$  per second?



- **3)** A cuboid measuring 2 metres by 60 cm by 80 cm is being filled from a pipe releasing water at a rate of 12 litres per minute.
  - (a) Find the time taken to fill the container in hours and minutes.  $[1m^3 = 1000 \ litres]$
  - (b) Once the container is full, a plug at the bottom is removed which lets water drain at a rate of  $16 \text{ } cm^3$  per second. Find the total time taken for the container to be filled and then emptied.
- 4) A hot air balloon can hold 2500 cubic metres of air.



- (a) The hot air balloon is assumed to be the shape of a sphere. If the formula for the volume of a sphere is  $V = \frac{4}{3}\pi r^3$ . Find the radius of the balloon in metres.
- (b) A fan used to inflate the hot air balloon has a flow rate of 300000 litres per minute. How long will it take to inflate the hot air balloon?

 $[1m^3 = 1000 \ litres]$ 



1)

The diagram shows a container in the shape of the cuboid. The base of the container is a rectangle measuring 32 *cm* by 24 *cm*.



A tap produces a flow rate of 4 litres per minute.

The tap can fill the container in 4 minutes and 48 seconds.

Using the fact that  $1 m l = 1 cm^3$ , find the height of the container in centimetres.

• •	 •••	 • • •	cm
		(4	marks)



2)

The organiser of a fun run needs to provide 120 cups of water for competitors to drink from during a race. Each cup is a cylinder of radius 4 *cm* and height 10 *cm* as shown in the diagram.



The organiser needs to fill all 120 cups with water from a tap which has a flow rate of 3. 5 litres per minute. There is only 16 minutes available to get all of the cups filled. Will the organiser get all of the cups filled in the available time?

Show your working.

 $[1 m l = 1 c m^3]$ 

# (4 marks)

7



3)

The image shows a full swimming pool that needs cleaning, so will be emptied by a pump.



After 30 minutes the water level has decreased by 40 cm.

How much extra time will be required for the swimming pool to be completely empty? Give your answer in minutes.

> .....mins (5 marks)



4) Water is flowing in the the container shown at a rate of  $\pi$  millilitres per minute.



The container consists of a cylinder and a cone. The heights of the cylinder and cone and in the ratio 2: 3.

Find the time taken to completely fill the container. Give your answer in minutes.

[Volume of a cone =  $\frac{1}{3}\pi r^2 h$ ]

.....mins (5 marks)



	Question	Answer
	Skill Questions	
Group A	Use the information to calculate the flow rate: <b>1)</b> A tap releases 5 litres of water in 4 minutes. Calculate the flow rate in litres per minute.	<b>1)</b> 1.25 litres per minute
	<b>2)</b> A hose pipe can release 8 litres of water in 160 seconds. Calculate the flow rate in litres per second.	<b>2)</b> 0.05 litres per second
	<b>3)</b> Juice is leaking from the bottom of a carton. The carton is 330 <i>ml</i> when full and is empty after 11 minutes. Calculate the flow rate in <i>ml</i> per minute.	<b>3)</b> 30 <i>ml</i> per minute
	<b>4)</b> A tap fills a cuboid container 5 <i>cm</i> by 8 <i>cm</i> by 20 <i>cm</i> . The container is full after 16 seconds. Calculate the flow rate in <i>cm</i> <sup>3</sup> per second.	<b>4)</b> 50 <i>cm</i> <sup>3</sup> per second
	<b>5)</b> A hose pipe fills a cube with side length 80 $cm$ . The cube is full after 40 minutes. Calculate the flow rate in $cm^3$ per minute.	<b>5)</b> 12800 <i>cm</i> <sup>3</sup> per minute
	<b>6)</b> A full paddling pool in the shape of a cuboid is being drained through a valve. The paddling pool is 2 metres by 1 metre by $50 cm$ and is empty after 5 minutes. Calculate the flow rate in $m^3$ per minute.	<b>6)</b> 0.2 <i>m</i> <sup>3</sup> per minute
	<b>7)</b> A tap is filling a 500 <i>ml</i> jug with water. The jug is half full after 8 seconds. Calculate the flow rate in ml per second.	<b>7)</b> 31. 25 <i>ml</i> per second



Group A contd	8) A 24 <i>c</i> secc secc	A tap fills a cube of side length <i>m</i> . The cube is one third full after 35 onds. Calculate the flow rate in <i>cm</i> <sup>3</sup> per ond.	<b>8)</b> 131.66 <i>cm</i> <sup>3</sup> per second (2 d.p.)
	<b>9)</b> A 30 <i>c</i> a ta Calc	A cuboid container measuring $40 \ cm$ by $m$ by $25 \ cm$ is being filled with water from p. The container is $60\%$ full after 5 minutes.	<b>9)</b> 3600 <i>cm</i> <sup>3</sup> per minute
Group B	Find flov	d the volume of the shape and use the v rate to find the time to fill the container:	
	1)	$10cm \int_{10cm}^{10cm} 10cm$ Flow rate = 20 cm <sup>3</sup> /s	<b>1)</b> 1000 cm <sup>3</sup> , 50 seconds
	2)	$\int_{30cm}^{15cm} 15cm$ Flow rate = 45 cm <sup>3</sup> /s	<b>2)</b> 9000 cm <sup>3</sup> , 200 seconds
	3)	20cm $40cm$ Flow rate = 50 cm <sup>3</sup> /s. Give your answer in minutes and seconds.	<b>3)</b> 80000 cm <sup>3</sup> , 26 minutes 40 seconds
	4)	24cm 30cm $26 15cm$	<b>4)</b> 5400 cm <sup>3</sup> , 270 seconds
		Flow rate = $20 \ cm \ /s$	







Group C	Use the flow rate provided to find the missing value: <b>1)</b> A tap produces a flow rate of 4 litres per minute. Find the time taken for the tap to fill a 6 litre bucket.	<b>1)</b> 1.5 minutes
	<b>2)</b> A hose pipe produces a flow rate of 6 litres per minute. A gardener spends 10 minutes watering his plants. How much water did the gardener use?	<b>2)</b> 60 litres
	<b>3)</b> A coffee machine dispenses coffee with a flow rate of 800ml per minute. How long does it take to produce a 200 <i>ml</i> coffee?	<b>3)</b> 0.25 minutes or 15 seconds
	<b>4)</b> A tap produces a flow rate of 3.5 litres per minute. How much water is released from the tap after 90 seconds?	<b>4)</b> 5.25 litres
	<b>5)</b> A waterfall has a flow rate of $400 m^3$ per second. How much water flows over the waterfall in 10 minutes?	<b>5)</b> 240000 m <sup>3</sup>
	<b>6)</b> A dripping tap produces a flow rate of 0. 625 <i>ml</i> per second. How long does it take for the dripping tap to fill a 1 litre jug? Give your answer in minutes and seconds.	<b>6)</b> 26 minutes 40 seconds
	<b>7)</b> An air pump produces a flow rate of $30  cm^3$ per second. Find the volume of air produced in 1 hour, giving your answer in $m^3$ .	<b>7)</b> 0. 108 m <sup>3</sup>
	<b>8)</b> An empty cuboid container with a square base of area $24 \ cm^2$ is being filled from a tap producing a flow rate of $50 \ cm^3$ per second. Find the height of the water after 6 seconds.	<b>8)</b> 12.5 cm
	<b>9)</b> A swimming pool holds $45 m^3$ of water. The swimming pool must be drained by a pump. The pump removes the water with a flow rate of 7200 litres per hour. Given that $1 m^3 = 1000$ litres. How long will it take to drain the swimming pool, in hours and minutes?	<b>9)</b> 6 hours 15 minutes



	Qu	iestion	Ar	nswer
	Ар	plied Questions		
1)		The image shows two containers, a cube with side length 8 cm and a cylinder with radius 5 cm and height 9 cm. 5 cm  and height 9 cm $5 cm  and height 9 cm$ $9 cm$ A tap fills the cube container in 32 seconds.		
	a)	Find the flow rate of the tap in $cm^3$ per second.	a)	$16 \ cm^3$ per second.
	b)	How long will the same tap take to fill the cylinder?	b)	44. 2 seconds (3 s.f.)
2)		A tap is filling a container with water. The graph shows the depth, <i>cm</i> , of water in the container at times measured in seconds.		
	a)	Use the information from the graph to find the flow rate of the tap in cm per second.	a)	0. 66 <i>cm</i> per second
	b)	If the container had a rectangular base measuring $4 \ cm$ by $6 \ cm$ . What is the flow rate of the tap in $\ cm^3$ per second?	b)	$16  cm^3$ per second



3)		A cuboid measuring 2 metres by 60 <i>cm</i> by 80 <i>cm</i> is being filled from a pipe releasing water at a rate of 12 litres per minute.		
	a)	Find the time taken to fill the container in hours and minutes. $[1m^3 = 1000 \ litres]$	a)	1 hour 20 minutes
	b)	Once the container is full, a plug at the bottom is removed which lets water drain at a rate of $16 \ cm^3$ per second. Find the total time taken for the container to be filled and then emptied.	b)	Draining time = 16 hours 40 minutes Total time = 18 hours.
4)		A hot air balloon can hold 2500 cubic metres of air.		
	a)	The hot air balloon is assumed to be the shape of a sphere. If the formula for the volume of a sphere is $V = \frac{4}{3}\pi r^3$ . Find the radius of the balloon in metres.	a)	8. 42 metres (2 d.p.)
	b)	A fan used to inflate the hot air balloon has a flow rate of 300000 litres per minute. How long will it take to inflate the hot air balloon? $[1m^3 = 1000 \ litres]$	b)	8 minutes 20 seconds



# Flow Rate - Mark Scheme

	Question	Answer	
	Exam Questions		
1)	The diagram shows a container in the shape of the cuboid. The base of the container is a rectangle measuring 32 <i>cm</i> by 24 <i>cm</i> .		
	A tap produces a flow rate of 4 litres per minute.	$4 \min 48 \sec = 4.8 \min 3$	(1)
	The tap can fill the container in 4 minutes	4 litres per min = $4000 \ cm$ per min	(1)
	and 48 seconds. Using the fact that $1 ml = 1 cm^3$ find	$4000 \times 4.8 = 19200  cm^3$	(1)
	the height of the container in centimetres.	$19200 \div (32 \times 24) = 25  cm$	(1)
2)	$\frac{4cm}{10cm}$ The organiser of a fun run needs to provide 120 cups of water for competitors to drink from during a race. Each cup is a cylinder of radius 4 <i>cm</i> and height 10 <i>cm</i> as shown in the diagram.		
	The organiser needs to fill all 120 cups with water from a tap which has a flow rate of 3. 5 litres per minute. There is only 16 minutes available to get all of the cups	Volume of 1 cup = $\pi \times 4^2 \times 10 = 502.65cm^3$ Total volume = 60318.5cm <sup>3</sup>	(1)
	filled. Will the organiser get all of the cups filled in the available time? Show your working. $[1 ml = 1 cm^3]$	Finding time by dividing by 3500 or equivalent = 17.23 minutes	(1)



# Flow Rate - Mark Scheme

3)	7m		
	$1.6m \boxed{\begin{array}{c} 5m \\ 3m \\ 2m \end{array}}$		
	The image shows a full swimming pool that needs cleaning, so will be emptied by a pump.		
	After 30 minutes the water level has decreased by 40 <i>cm</i> .		
	How much <b>extra</b> time will be required for the swimming pool to be completely	Volume of decrease = $14\ 000\ 000\ cm^3$	(1)
	empty? Give your answer in minutes.	Flow rate = 466 666. 6 $cm^3$ per min or equivalent	(1)
		Remaining volume = $120 \times 500 \times 700 + \frac{500 \times 140}{2} \times 500$	(1)
		$= 59500000cm^3$	(1)
		Remaining time = 59 500 000 ÷ 466 666. 6 127. 5 minutes	(1) (1)



### Flow Rate - Mark Scheme



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